# CS7015 (Deep Learning): Lecture 12

Object Detection: R-CNN, Fast R-CNN, Faster R-CNN, You Only Look Once (YOLO)

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### Acknowledgements

- Some images borrowed from Ross Girshick's original slides on RCNN, Fast RCNN, etc.
- Some ideas borrowed from the presentation of Kaustav Kundu\*
  - \* Deep Object Detection

Module 12.1: Introduction to object detection

- So far we have looked at Image Classification
- We will now move on to another Image Processing Task Object Detection









Task Image classification





Task Image classification

Output Car



Task Image classification

Output Car



Object Detection



 $\mathbf{Task}$ 

Image classification

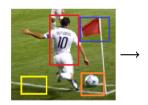
# Output

Car

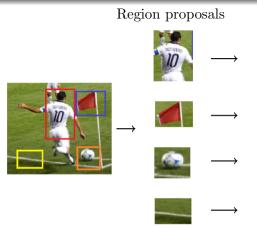


Object Detection

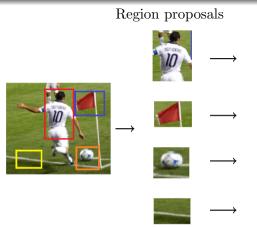
Car, exact bounding box containing car



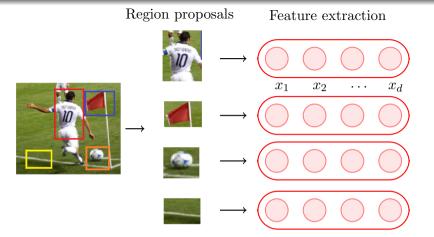
• Let us see a typical pipeline for *object detection* 



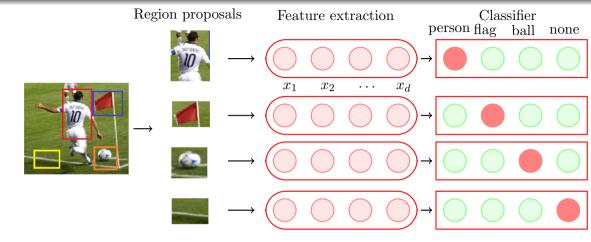
- Let us see a typical pipeline for *object detection*
- It starts with a region proposal stage where we identify potential regions which may contain objects



• We could think of these regions as mini-images

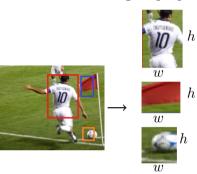


- We could think of these regions as mini-images
- We extract features(SIFT, HOG, CNNs) from these mini-images

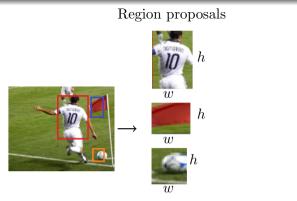


• Pass these through a standard image classifer to determine the class

## Region proposals

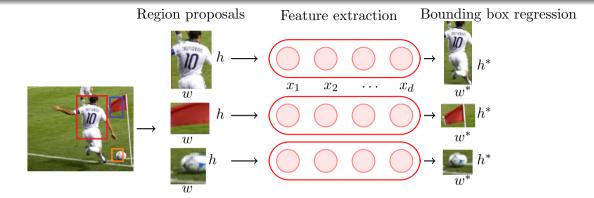


• In addition we would also like to correct the proposed bounding boxes



# Bounding box regression $h^*$ $w^*$ $h^*$ $w^*$

- In addition we would also like to correct the proposed bounding boxes
- This is posed as a regression problem (for example, we would like to predict  $w^*$ ,  $h^*$  from the proposed w and h)



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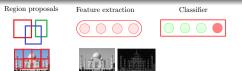


• Let us see how these three components have evolved over time



Pre 2012

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- Propose all possible regions in the image of varying sizes (almost brute force)



Pre 2012

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- Use handcrafted features (SIFT, HOG)





Pre 2012





- Let us see how these three components have evolved over time
- Propose all possible regions in the image of varying sizes (almost brute force)
- Use handcrafted features (SIFT. HOG)
- Train a linear classifier using these features



Feature extraction



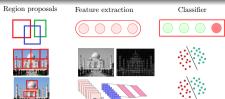
Pre 2012





• Let us see how these three components have evolved over time

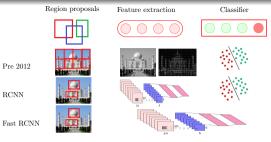
- Propose all possible regions in the image of varying sizes (almost brute force)
- Use handcrafted features (SIFT, HOG)
- Train a linear classifier using these features
- We will now see three algorithms that progressively improve these components



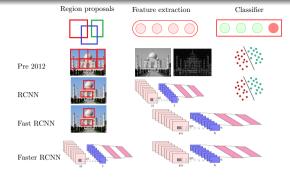
Pre 2012

RCNN

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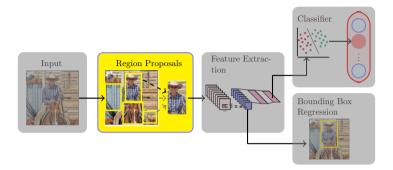


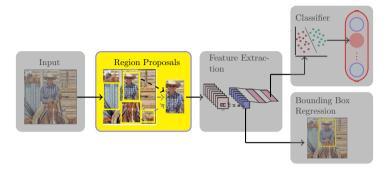
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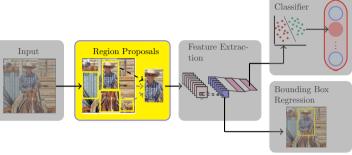
Module 12.2: RCNN model for object detection

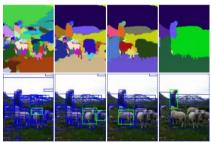




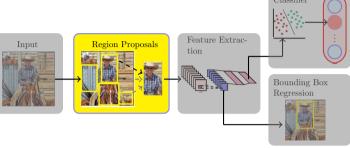
• Selective Search for region proposals

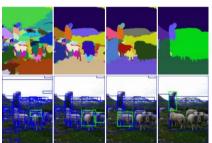




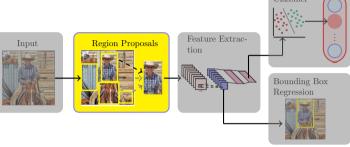


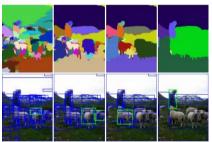
- Selective Search for region proposals
- Does hierarchical clustering at different scales



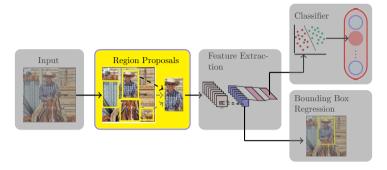


- Selective Search for region proposals
- Does hierarchical clustering at different scales
- For example the figures from left to right show clusters of increasing sizes

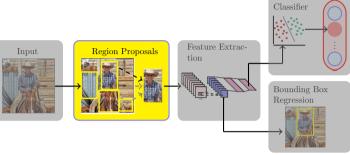




- Selective Search for region proposals
- Does hierarchical clustering at different scales
- For example the figures from left to right show clusters of increasing sizes
- Such a hierarchical clustering is important as we may find different objects at different scales

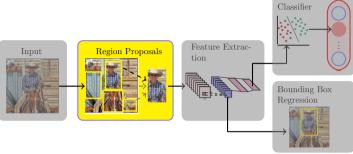


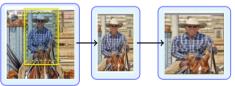




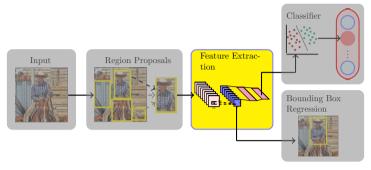


• Proposed regions are cropped to form mini images

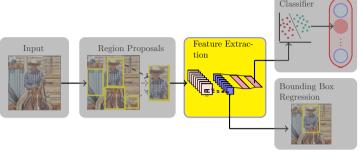




- Proposed regions are cropped to form mini images
- Each mini image is scaled to match the CNN's (feature extractor) input size

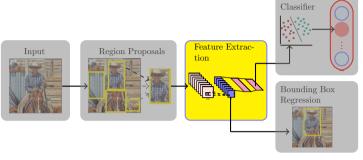


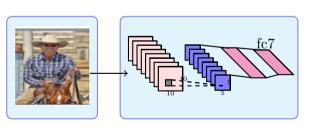
• For feature extraction any CNN trained for Image Classification can be used (AlexNet/ VGGNet etc.)



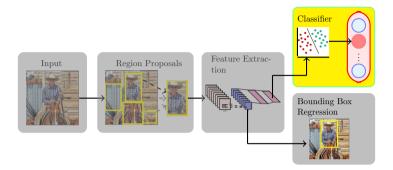


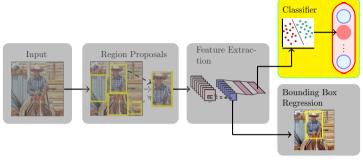
- For feature extraction any CNN trained for Image Classification can be used (AlexNet/ VGGNet etc.)
- Outputs from fc7 layer are taken as features

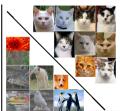




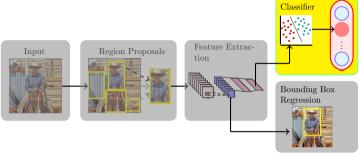
- For feature extraction any CNN trained for Image Classification can be used (AlexNet/ VGGNet etc.)
- Outputs from fc7 layer are taken as features
- CNN is fine tuned using ground truth (cropped) object images







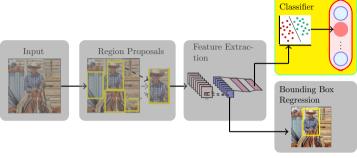
• Linear models (SVMs) are used for classification







• Linear models (SVMs) are used for classification (1 model per class)

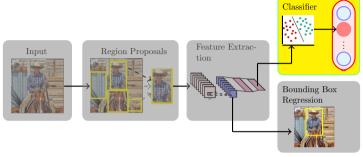


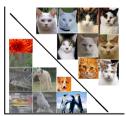




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. . .



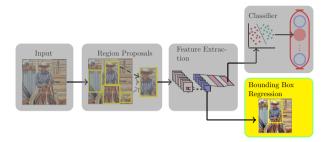


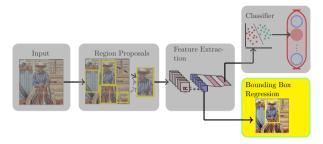




 $\bullet \ \, \text{Linear models (SVMs) are used for classification (1 model per class)}$ 

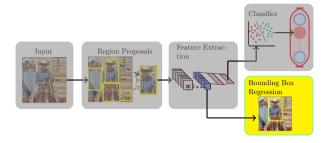
. . .







Proposed Box



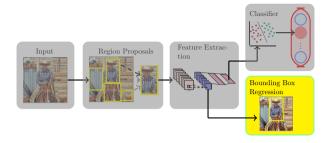






• The proposed regions may not be perfect

True Box



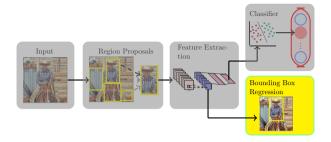






True Box

- The proposed regions may not be perfect
- We want to learn four regression models which will learn to predict  $x^*$ ,  $y^*$ ,  $w^*$ ,  $h^*$



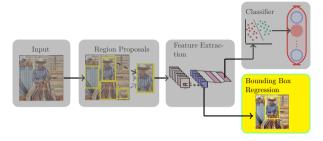






True Box

- The proposed regions may not be perfect
- We want to learn four regression models which will learn to predict  $x^*$ ,  $y^*$ ,  $w^*$ ,  $h^*$
- We will see their respective objective functions



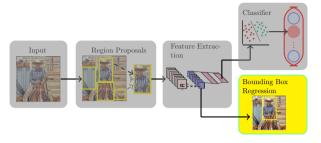




 $\min \sum_{i=1}^N \left(\frac{x^*-x}{w} - w_1^T z\right)^2$ 

Proposed Box True Box

z: features from pool5 layer of the network







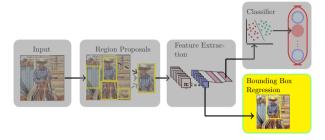
 $\min \sum_{i=1}^{N} \left( \frac{x^* - x}{w} - w_1^T z \right)^2$ 

•  $\frac{x^*-x}{w}$  is the normalized difference between proposed x and true  $x^*$ 

Proposed Box

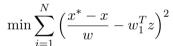
True Box

 $\mathbf{z}$  : features from pool 5 layer of the network





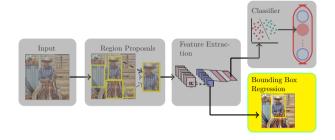




- $\frac{x^*-x}{w}$  is the normalized difference between proposed x and true  $x^*$
- If we can predict this difference we can compute  $x^*$

Proposed Box True Box

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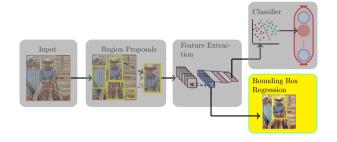




Proposed Box

True Box

- $\min \sum_{i=1}^{N} \left( \frac{x^* x}{w} w_1^T z \right)^2$
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- If we can predict this difference we can compute  $x^*$
- The model predicts  $w_1^T z$  as this difference
- z: features from pool5 layer of the network







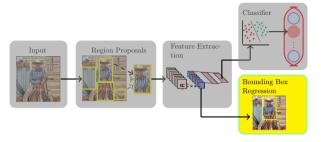
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Proposed Box

True Box

- The model predicts  $w_1^T z$  as this difference
- z: features from pool5 layer of the network The above objective function minimize the difference between the predicted and the actual value







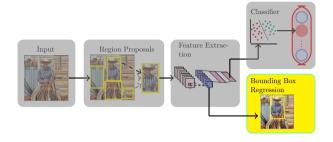
 $\min \sum_{i=1}^N \left(\frac{y^*-y}{h} - w_2^T z\right)^2$ 

 $\bullet$  Similarly for y

Proposed Box

True Box

 $\mathbf{z}$  : features from pool 5 layer of the network



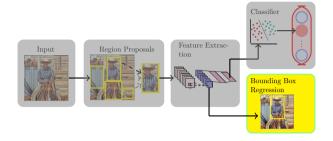




 $\min \sum_{i=1}^N \left( \ln \left( \frac{w^*}{w} \right) - w_3^T z \right)^2$  • Similarly for w

Proposed Box True Box

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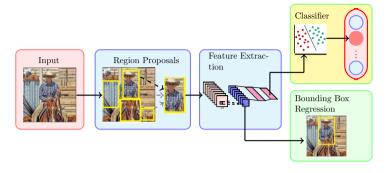
 $\min \sum_{i=1}^N \left( \ln \left( \frac{h^*}{h} \right) - w_4^T z \right)^2$  Similarly for h

• Similarly for h

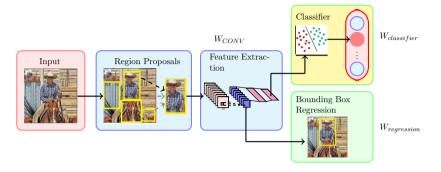
Proposed Box

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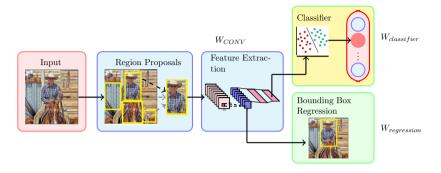
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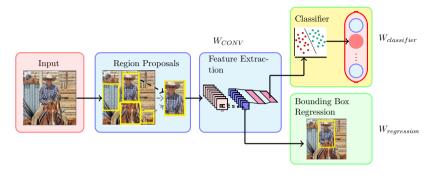
• What are the parameters of this model?



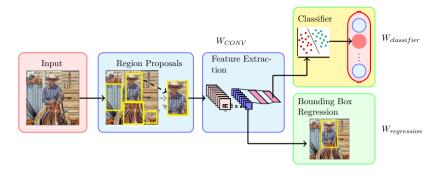
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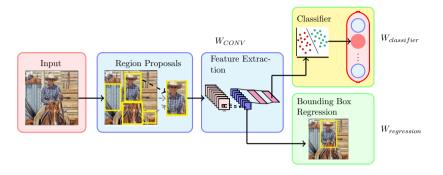
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- $W_{CONV}$  is taken as it is from a CNN trained for Image classification (say on ImageNet)



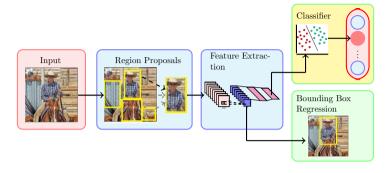
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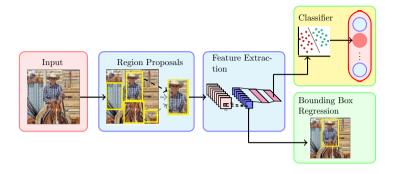
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- $W_{classifier}$  is learned using ground truth (cropped) object images
- $W_{regression}$  is learned using ground truth bounding boxes



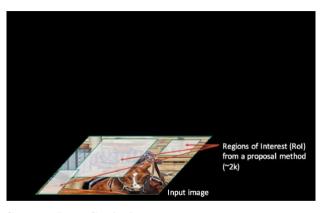
• What is the computational cost for processing one image at test time?



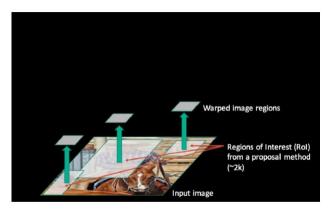
- What is the computational cost for processing one image at test time?
- Inference Time = Proposal Time + # Proposals × Convolution Time + # Proposals × classification + # Proposals × regression



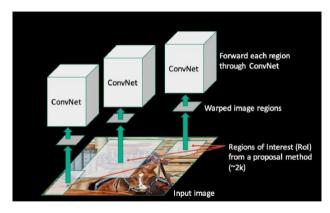
Source: Ross Girshick



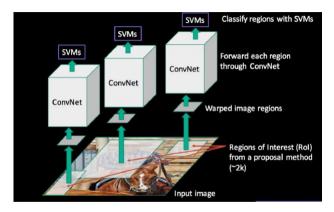
• On average selective search gives 2K region proposal



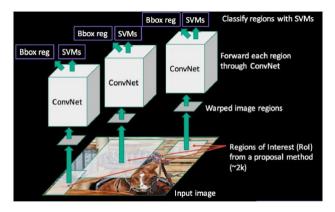
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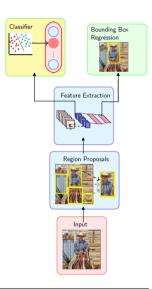
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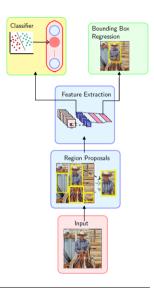
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• No joint learning

<sup>&</sup>lt;sup>1</sup>Source: Ross Girshick

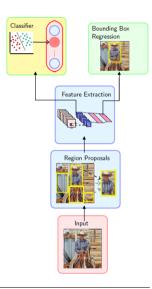
<sup>&</sup>lt;sup>1</sup>Using VGG-Net



<sup>1</sup>Source: Ross Girshick

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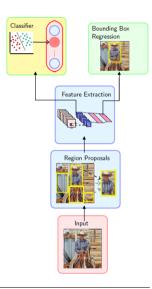
- No joint learning
- Use ad hoc training objectives



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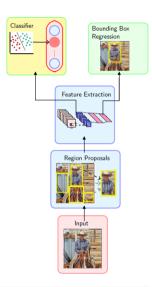
<sup>1</sup>Using VGG-Net

- No joint learning
- Use ad hoc training objectives
  - Fine tune network with softmax classifier (log loss)



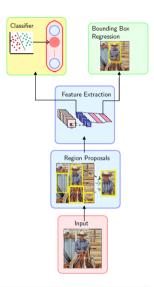
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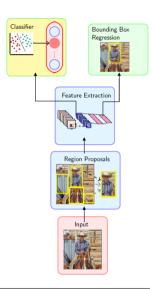
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  - Train post-hoc bounding-box regressors (squared loss)



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  - Train post-hoc bounding-box regressors (squared loss)
- Training ( $\approx 3$  days) and testing (47s per image) is slow<sup>1</sup>.
- Takes a lot of disk space



RCNN

Search Pre 2012



Pre 2012

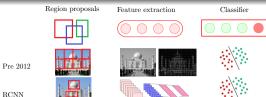
RCNN





• Region Proposals: Selective Search

• Feature Extraction: CNNs



RCNN

- Region Proposals: Selective Search
- Feature Extraction: CNNs
- Classifier: Linear

Module 12.3: Fast RCNN model for object detection

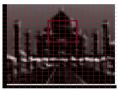


• Suppose we apply a  $3 \times 3$  kernel on an image



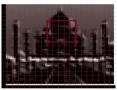
- Suppose we apply a  $3 \times 3$  kernel on an image
- What is the region of influence of each pixel in the resulting output ?





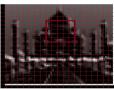
- Suppose we apply a  $3 \times 3$  kernel on an image
- What is the region of influence of each pixel in the resulting output ?
- Each pixel contributes to a  $5 \times 5$  region





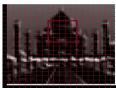
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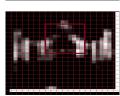




- Suppose we apply a  $3 \times 3$  kernel on an image
- What is the region of influence of each pixel in the resulting output?
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- Suppose we again apply a  $3 \times 3$  kernel on this output?
- What is the region of influence of the original pixel from the input?

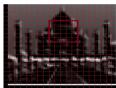


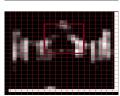




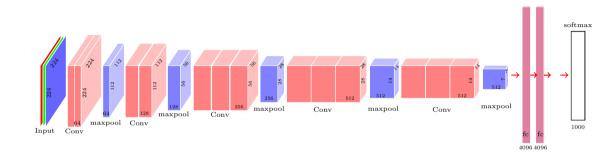
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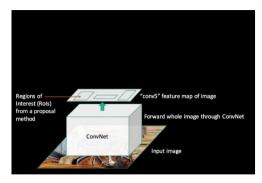






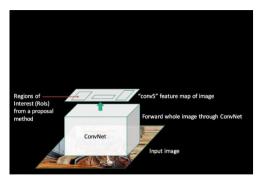
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- Each pixel contributes to a  $5 \times 5$  region
- Suppose we again apply a  $3 \times 3$  kernel on this output?
- What is the region of influence of the original pixel from the input? (a  $7 \times 7$  region)





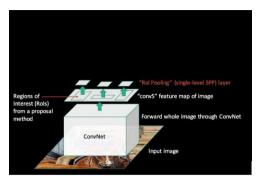
Source: Ross Girshick

• Using this idea we could get a bounding box's region of influence on any layer in the CNN



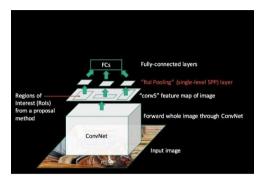
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- Using this idea we could get a bounding box's region of influence on any layer in the CNN
- The projected Region of Interest (RoI) may be of different sizes



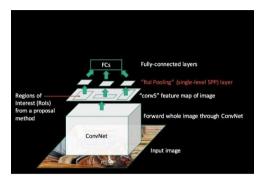
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- The projected Region of Interest (RoI) may be of different sizes
- Divide them into k equally sized regions of dimension  $H \times W$  and do max pooling in each of those regions to construct a k dimensional vector



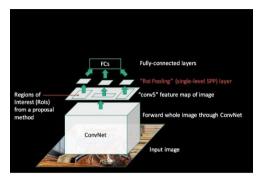
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- Connect the k dimensional vector to a fully connected layer



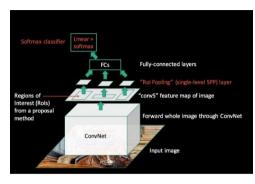
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- Connect the *k* dimensional vector to a fully connected layer
- This max pooling operation is call RoI pooling



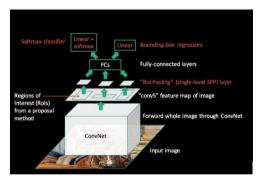
Source: Ross Girshick

 Once we have the FC layer it gives us the representation of this region proposal



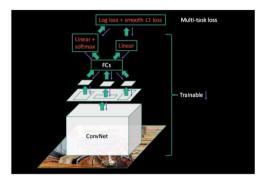
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- Once we have the FC layer it gives us the representation of this region proposal
- We can then add a softmax layer on top of it to compute a probability distribution over the possible object classes



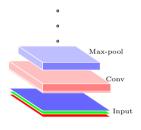
Source: Ross Girshick

- Once we have the FC layer it gives us the representation of this region proposal
- We can then add a softmax layer on top of it to compute a probability distribution over the possible object classes
- Similarly we can add a regression layer on top of it to predict the new bounding box  $(w^*, h^*, x^*, y^*)$

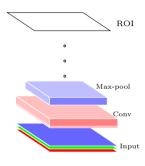


Source: Ross Girshick

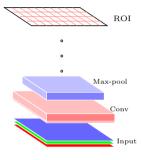
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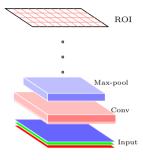
• Recall that the last pooling layer of VGGNet-16 results in an output of size  $512 \times 7 \times 7$ 



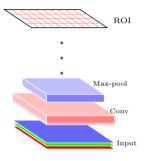
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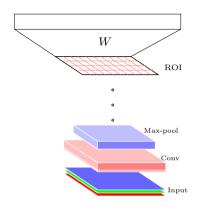
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- We set H = W = 7 and divide each of these RoIs into (k = 49) regions



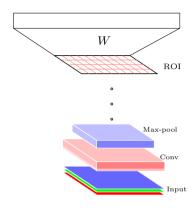
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- We do this for every feature map resulting in an ouput of size  $512 \times 49$



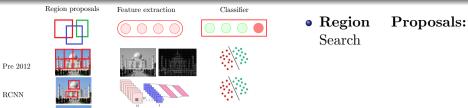
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- We do this for every feature map resulting in an ouput of size  $512 \times 49$
- This output is of the same size as the output of the original max pooling layer



• It is thus compatible with the dimensions of the weight matrix connecting the original pooling layer to the first FC layer



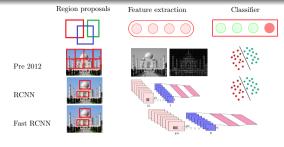
- It is thus compatible with the dimensions of the weight matrix connecting the original pooling layer to the first FC layer
- We can just retain that weight matrix and fine tune it



Fast RCNN

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Selective

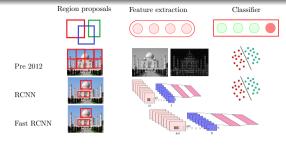


Proposals: Selective

• Feature Extraction: CNN

• Region

Search



• Region Proposals: Selective

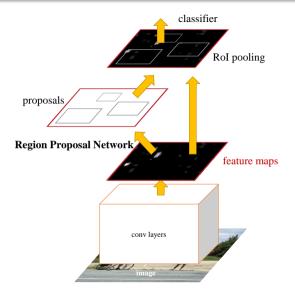
• Feature Extraction: CNN

• Classifier: CNN

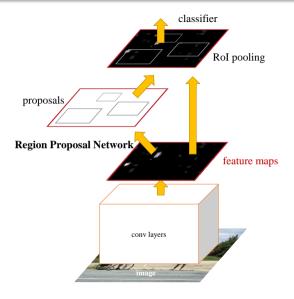
Search

Module 12.4: Faster RCNN model for object detection

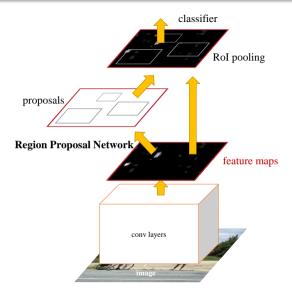
• So far the region proposals were being made using Selective Search algorithm



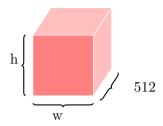
- So far the region proposals were being made using Selective Search algorithm
- Idea: Can we use a CNN for making region proposals also?



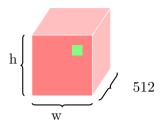
- So far the region proposals were being made using Selective Search algorithm
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- How? Well it's slightly tricky



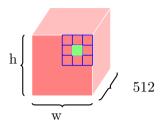
- So far the region proposals were being made using Selective Search algorithm
- Idea: Can we use a CNN for making region proposals also?
- How? Well it's slightly tricky
- We will illustrate this using VG-GNet



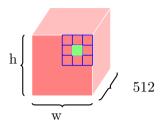
• Consider the output of the last convolutional layer of VGGNet



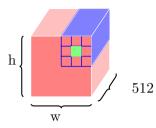
- Consider the output of the last convolutional layer of VGGNet
- Now consider one cell in one of the 512 feature maps

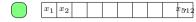


- Consider the output of the last convolutional layer of VGGNet
- Now consider one cell in one of the 512 feature maps
- If we apply a  $3 \times 3$  kernel around this cell then we will get a 1D representation for this cell

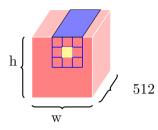


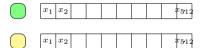
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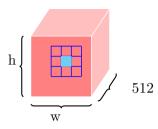


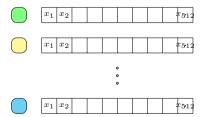
- Consider the output of the last convolutional layer of VGGNet
- Now consider one cell in one of the 512 feature maps
- If we apply a  $3 \times 3$  kernel around this cell then we will get a 1D representation for this cell
- If we repeat this for all the 512 feature maps then we will get a 512 dimensional representation for this position



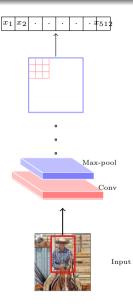


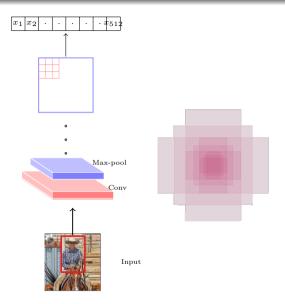
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- We use this process to get a 512 dimensional representation for each of the  $w \times h$  positions



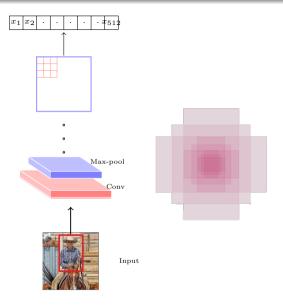


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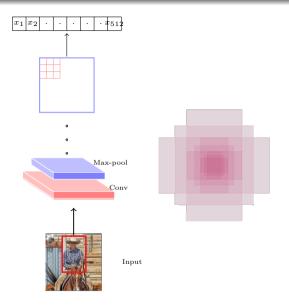




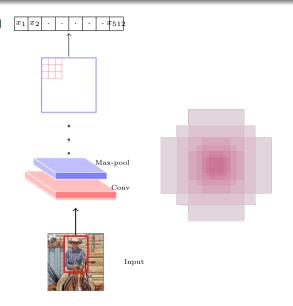
• We now consider k bounding boxes (called anchor boxes) of different sizes & aspect ratio



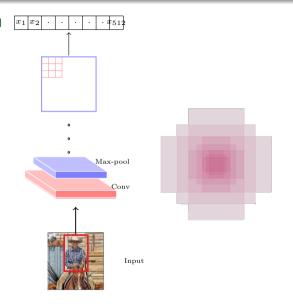
- We now consider k bounding boxes (called anchor boxes) of different sizes & aspect ratio
- We are interested in the following two questions:



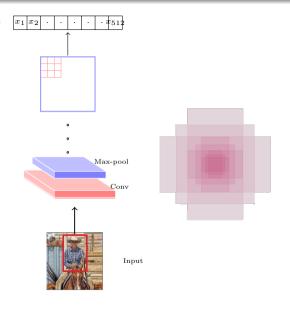
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- Given the 512d representation of a position, what is the probability that a given anchor box centered at this position contains an object?



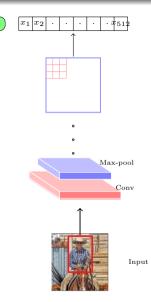
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- We are interested in the following two questions:
- Given the 512d representation of a position, what is the probability that a given anchor box centered at this position contains an object? (Classification)

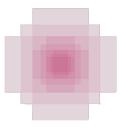


- We now consider k bounding boxes (called anchor boxes) of different sizes & aspect ratio
- We are interested in the following two questions:
- Given the 512d representation of a position, what is the probability that a given anchor box centered at this position contains an object? (Classification)
- How do you predict the true bounding box from this anchor box?

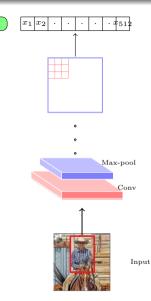


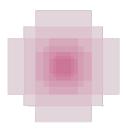
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- How do you predict the true bounding box from this anchor box? (Regression)



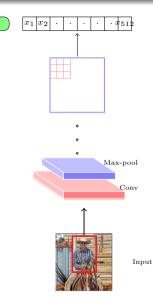


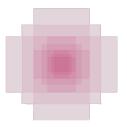
• We train a classification model and a regression model to address these two questions



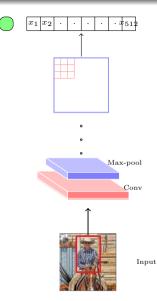


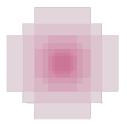
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- How do we get the ground truth data?





- We train a classification model and a regression model to address these two questions
- How do we get the ground truth data?
- What is the objective function used for training?

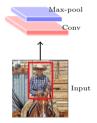




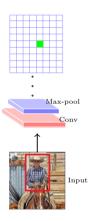
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• Consider a ground truth object and its corresponding bounding box

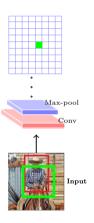




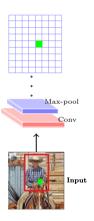
- Consider a ground truth object and its corresponding bounding box
- Consider the projection of this image onto the conv5 layer



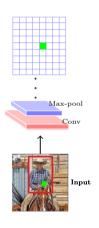
- Consider a ground truth object and its corresponding bounding box
- Consider the projection of this image onto the conv5 layer
- Consider one such cell in the output

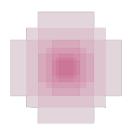


- Consider a ground truth object and its corresponding bounding box
- Consider the projection of this image onto the conv5 layer
- Consider one such cell in the output
- This cell corresponds to a patch in the original image

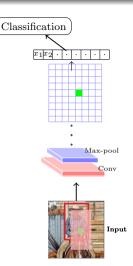


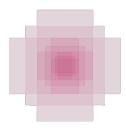
- Consider a ground truth object and its corresponding bounding box
- Consider the projection of this image onto the conv5 layer
- Consider one such cell in the output
- This cell corresponds to a patch in the original image
- Consider the center of this patch



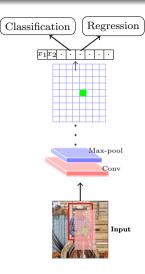


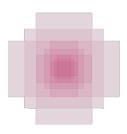
- Consider a ground truth object and its corresponding bounding box
- Consider the projection of this image onto the conv5 layer
- Consider one such cell in the output
- This cell corresponds to a patch in the original image
- Consider the center of this patch
- We consider anchor boxes of different sizes



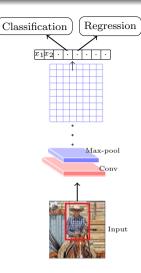


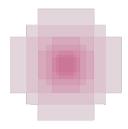
• For each of these anchor boxes, we would want the classifier to predict 1 if this anchor box has a reasonable overlap (IoU > 0.7) with the true grounding box





- For each of these anchor boxes, we would want the classifier to predict 1 if this anchor box has a reasonable overlap (IoU > 0.7) with the true grounding box
- Similarly we would want the regression model to predict the true box (red) from the anchor box (pink)





- We train a classification model and a regression model to address these two questions
- How do we get the ground truth data?
- What is the objective function used for training?

$$\mathscr{L}(p_i, t_i) = \frac{1}{N_{cls}} \sum_{i} \mathscr{L}_{cls}(p_i, p_i^*)$$

$$\mathcal{L}(p_i, t_i) = \frac{1}{N_{cls}} \sum_{i} \mathcal{L}_{cls}(p_i, p_i^*)$$

- $p_i^* = 1$  if anchor box contains ground truth object
  - =0 otherwise
- $p_i$  = predicted probability of anchor box containing an object
- $N_{cls} = \text{batch-size}$

$$\mathscr{L}(p_i, t_i) = \frac{1}{N_{cls}} \sum_{i} \mathscr{L}_{cls}(p_i, p_i^*) + \frac{\lambda}{N_{reg}} \sum_{i} p_i^* \mathscr{L}_{reg}(t_i, t_i^*)$$

- $p_i^* = 1$  if anchor box contains ground truth object
  - =0 otherwise
- $p_i$  = predicted probability of anchor box containing an object
- $N_{cls} = \text{batch-size}$

$$\mathscr{L}(p_i, t_i) = \frac{1}{N_{cls}} \sum_{i} \mathscr{L}_{cls}(p_i, p_i^*) + \frac{\lambda}{N_{reg}} \sum_{i} p_i^* \mathscr{L}_{reg}(t_i, t_i^*)$$

 $p_i^* = 1$  if anchor box contains ground truth object

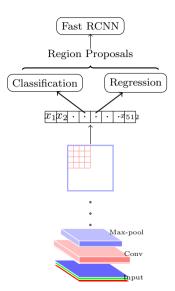
=0 otherwise

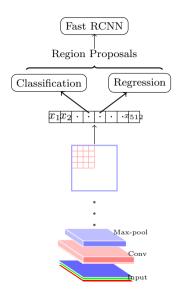
 $p_i$  = predicted probability of anchor box containing an object

 $N_{cls} = \text{batch-size}$ 

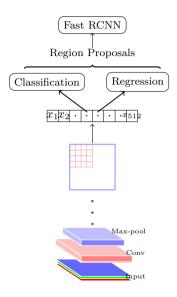
 $N_{reg} = \text{batch-size} \times k$ 

k = anchor boxes

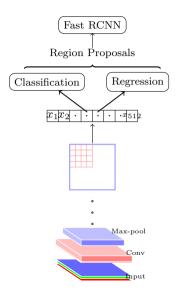




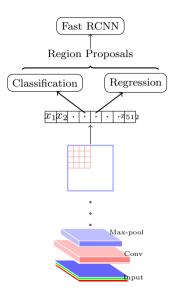
• So far we have seen a CNN based approach for region proposals instead of using selective search

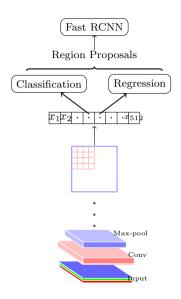


- So far we have seen a CNN based approach for region proposals instead of using selective search
- We can now take these region proposals and then add fast RCNN on top of it to predict the class of the object

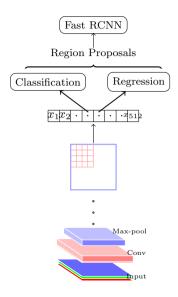


- So far we have seen a CNN based approach for region proposals instead of using selective search
- We can now take these region proposals and then add fast RCNN on top of it to predict the class of the object
- And regress the proposed bounding box

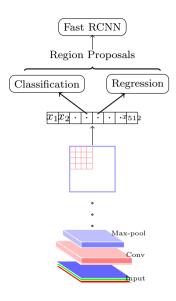




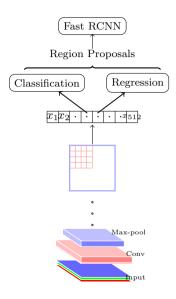
• But the fast RCNN would again use a VGG Net



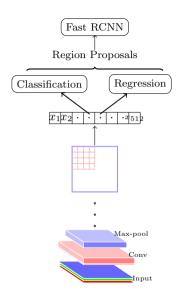
- But the fast RCNN would again use a VGG Net
- Can't we use a single VGG Net and share the parameters of RPN and RCNN

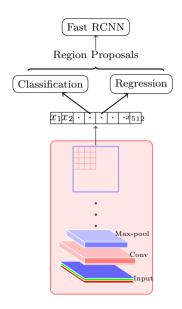


- But the fast RCNN would again use a VGG Net
- Can't we use a single VGG Net and share the parameters of RPN and RCNN
- Yes, we can

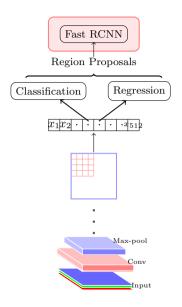


- But the fast RCNN would again use a VGG Net
- Can't we use a single VGG Net and share the parameters of RPN and RCNN
- Yes, we can
- In practice, we use a 4 step alternating training process

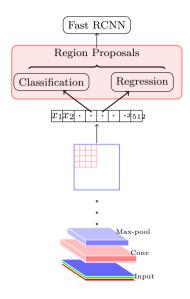




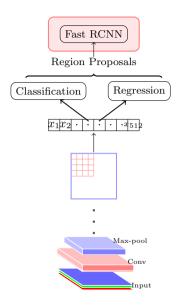
• Fine-tune RPN using a pre-trained ImageNet network



- Fine-tune RPN using a pre-trained ImageNet network
- Fine-tune fast RCNN from a pretrained ImageNet network using bounding boxes from step 1



- Fine-tune RPN using a pre-trained ImageNet network
- Fine-tune fast RCNN from a pretrained ImageNet network using bounding boxes from step 1
- Keeping common convolutional layer parameters fixed from step 2, finetune RPN (post conv5 layers)



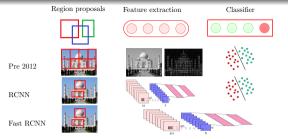
- Fine-tune RPN using a pre-trained ImageNet network
- Fine-tune fast RCNN from a pretrained ImageNet network using bounding boxes from step 1
- Keeping common convolutional layer parameters fixed from step 2, finetune RPN (post conv5 layers)
- Keeping common convolution layer parameters fixed from step 3, finetune fc layers of fast RCNN

• Imagenet detection

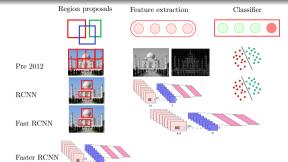
- Imagenet detection
- COCO Segmentation

- Imagenet detection
- COCO Segmentation
- Imagenet localization

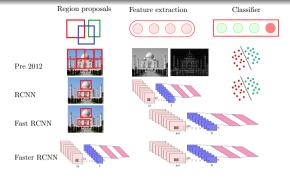
- Imagenet detection
- COCO Segmentation
- Imagenet localization
- COCO detection



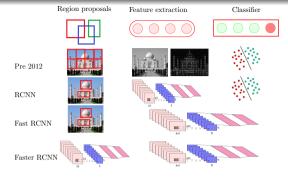
Faster RCNN



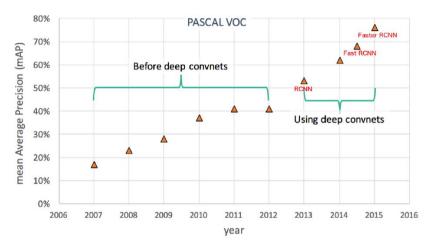
• Region Proposals: CNN



- Region Proposals: CNN
- Feature Extraction: CNN



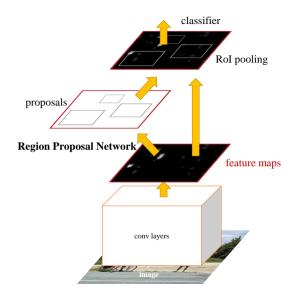
- Region Proposals: CNN
- Feature Extraction: CNN
- Classifier: CNN



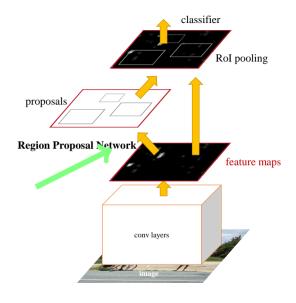
Object Detection Performance

Source: Ross Girshick

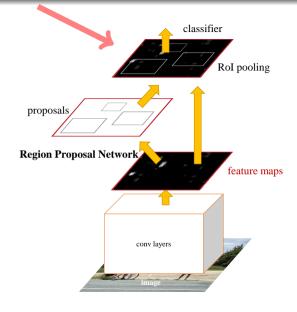
Module 12.5: YOLO model for object detection



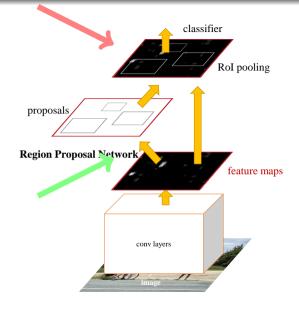
• The approaches that we have seen so far are two stage approaches



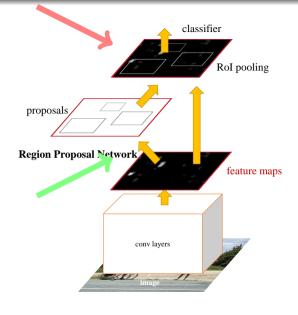
- The approaches that we have seen so far are two stage approaches
- They involve a region proposal stage and then a classification stage



- The approaches that we have seen so far are two stage approaches
- They involve a region proposal stage and then a classification stage



- The approaches that we have seen so far are two stage approaches
- They involve a region proposal stage and then a classification stage
- Can we have an end-to-end architecture which does both proposal and classification simultaneously?



- The approaches that we have seen so far are two stage approaches
- They involve a region proposal stage and then a classification stage
- Can we have an end-to-end architecture which does both proposal and classification simultaneously?
- This is the idea behind **YOLO-**You Only Look Once.

					P	(con	v)	P(truck			
ſ	c	w	h	x	y						
Ī						P	(dog	g)			•



 $S \times S$  grid on input

• Divide an image into  $S \times S$  grids (S=7)

					P(cow)				P(truck)			
c	w	h	x	y								
	•			P(dog)								



 $S \times S$  grid on input

- Divide an image into  $S \times S$  grids (S=7)
- For each such cell we are interested in predicting 5 + k quantities

					P(cow)				P(truck)		
	c	w	h	x	y				•		
P(dc)							(do	g)			



 $S \times S$  grid on input

- Divide an image into  $S \times S$  grids (S=7)
- For each such cell we are interested in predicting 5 + k quantities
- Probability (confidence) that this cell is indeed contained in a true bounding box

				P(cow)					P(truck)		
c	w	h	x	y				•			
P(dog)											



 $S \times S$  grid on input

- Divide an image into  $S \times S$  grids (S=7)
- For each such cell we are interested in predicting 5 + k quantities
- Probability (confidence) that this cell is indeed contained in a true bounding box
- Width of the bounding box

					P	(cov	P(truck)				
	c	w	h	x	y				•		
P(dog								g)			



 $S \times S$  grid on input

- Divide an image into  $S \times S$  grids (S=7)
- For each such cell we are interested in predicting 5 + k quantities
- Probability (confidence) that this cell is indeed contained in a true bounding box
- Width of the bounding box
- Height of the bounding box

				P(cow)				P(truck)		
c	w	h	x	y			•			
					$\overline{P}$					



 $S \times S$  grid on input

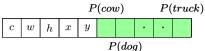
- Divide an image into  $S \times S$  grids (S=7)
- For each such cell we are interested in predicting 5 + k quantities
- Probability (confidence) that this cell is indeed contained in a true bounding box
- Width of the bounding box
- Height of the bounding box
- Center (x,y) of the bounding box

				P	(con	v)		P(	truc	(k)
c	w	h	x	y			•	•		
					$\overline{P}$	(dog	g)			



 $S \times S$  grid on input

- Divide an image into  $S \times S$  grids (S=7)
- For each such cell we are interested in predicting 5 + k quantities
- Probability (confidence) that this cell is indeed contained in a true bounding box
- Width of the bounding box
- Height of the bounding box
- Center (x,y) of the bounding box
- Probability of the object in the bounding box belonging to the  $k^{th}$  class (k values)



P(aog)



 $S \times S$  grid on input

- Divide an image into  $S \times S$  grids (S=7)
- For each such cell we are interested in predicting 5 + k quantities
- Probability (confidence) that this cell is indeed contained in a true bounding box
- Width of the bounding box
- Height of the bounding box
- Center (x,y) of the bounding box
- Probability of the object in the bounding box belonging to the  $k^{th}$  class (k values)
- The output layer thus contains  $S \times S \times (5+k)$  elements  $S \times S \times (5+k)$



Input Image

• How do we interpret this  $S \times S \times (5+k)$  dimensional output?



 $S \times S$  grid on input

- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it



 $S \times S$  grid on input

- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
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 $S \times S$  grid on input

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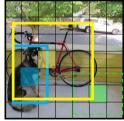
 $S \times S$  grid on input

- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it



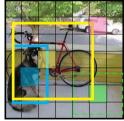
 $S \times S$  grid on input

- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it



 $S \times S$  grid on input

- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it



 $S \times S$  grid on input

- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it



 $S \times S$  grid on input

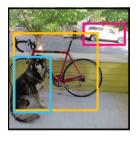
- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it



 $S \times S$  grid on input

Bounding Boxes & Confidence

- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it



- How do we interpret this  $S \times S \times (5+k)$  dimensional output?
- For each cell, we are computing a bounding box, its confidence and the object in it
- We then retain the most confident bounding boxes and the corresponding object label

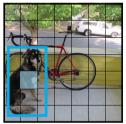
• How do we train this network?

i										
	$\hat{c}$	$\hat{w}$	$\hat{h}$	$\hat{x}$	$\hat{y}$	$\hat{\ell_1}$	$\hat{\ell_2}$	٠	•	$\hat{\ell_k}$



 $S \times S$  grid on input

$\hat{c}$	$\hat{w}$	$\hat{h}$	$\hat{x}$	$\hat{y}$	$\hat{\ell_1}$	$\hat{\ell_2}$	•		$\hat{\ell_k}$
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S × S grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it

$\hat{c}$	$\hat{w}$	$\hat{h}$	$\hat{x}$	$\hat{y}$	$\hat{\ell_1}$	$\hat{\ell_2}$	•		$\hat{\ell_k}$
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 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \ \& \ \ell$

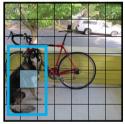
$\hat{c}$	$\hat{w}$	$\hat{h}$	$\hat{x}$	$\hat{y}$	$\hat{\ell_1}$	$\hat{\ell_2}$	•		$\hat{\ell_k}$
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 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \ \& \ \ell$
- We can then compute the following losses

$egin{array}{ c c c c c c c c c c c c c c c c c c c$	$\hat{\ell_2}$ · $\hat{\ell_k}$
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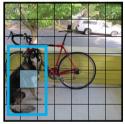


 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \ \& \ \ell$
- We can then compute the following losses

• 
$$(1 - \hat{c})^2$$

$\hat{c}$	w	$\hat{h}$	$\hat{x}$	$\hat{y}$	$\hat{\ell_1}$	$\hat{\ell_2}$			$\hat{\ell_k}$	
-----------	---	-----------	-----------	-----------	----------------	----------------	--	--	----------------	--

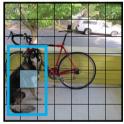


 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \& \ell$
- We can then compute the following losses

• 
$$(\sqrt{w} - \sqrt{\hat{w}})^2$$

$\hat{c}$	$\hat{w}$	h	$\hat{x}$	$\hat{y}$	$\hat{\ell_1}$	$\hat{\ell_2}$	•		$\hat{\ell_k}$
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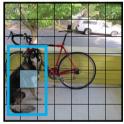


 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \& \ell$
- We can then compute the following losses

• 
$$(\sqrt{h} - \sqrt{\hat{h}})^2$$

$egin{array}{ c c c c c c c c c c c c c c c c c c c$
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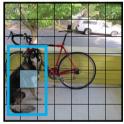


 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \& \ell$
- We can then compute the following losses

$$\bullet (x - \hat{x})^2$$

$egin{array}{ c c c c c c c c c c c c c c c c c c c$
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 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \& \ell$
- We can then compute the following losses

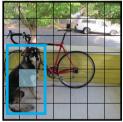
• 
$$(y - \hat{y})^2$$





							,	
$\hat{c}$	$\hat{w}$	$\hat{h}$	$\hat{x}$	$\hat{y}$		٠	•	
					 	_		

P(dog)



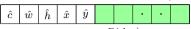
 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \& \ell$
- We can then compute the following losses

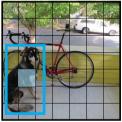
• 
$$\sum_{i=1}^{k} (\ell_i - \hat{\ell_i})^2$$

## P(cow)

P(truck)



P(dog)



 $S \times S$  grid on input

- How do we train this network?
- Consider a cell such that the center of the true bonding box lies in it
- The network is initialized randomly and it will predict some values for  $c, w, h, x, y \& \ell$
- We can then compute the following losses

$$\bullet \sum_{i=1}^k (\ell_i - \hat{\ell_i})^2$$

• And train the network to minimize the sum of these losses

$\hat{c}$	$\hat{w}$	$\hat{h}$	$\hat{x}$	$\hat{y}$	$\hat{\ell_1}$	$\hat{\ell_2}$	•		$\hat{\ell_k}$	
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 $S \times S$  grid on input

• Now consider a grid which does not contain any object



 $S \times S$  grid on input

- Now consider a grid which does not contain any object
- For this grid we do not care about the predictions  $w, h, x, y \ \& \ \ell$



 $S \times S$  grid on input

- Now consider a grid which does not contain any object
- For this grid we do not care about the predictions  $w,h,x,y\ \&\ \ell$
- But we want the confidence to be low



 $S \times S$  grid on input

- Now consider a grid which does not contain any object
- For this grid we do not care about the predictions  $w,h,x,y\ \&\ \ell$
- But we want the confidence to be low
- $\bullet\,$  So we minimize only the following loss

$$(0-\hat{c})^2$$

Method	Pascal 2007 mAP	Speed
DPM v5	33.7	$0.07 \; \mathrm{FPS} - 14 \; \mathrm{sec/ \; image}$

Method	Pascal 2007 mAP	Speed
DPM v5	33.7	0.07  FPS - 14  sec/ image
RCNN	66.0	$0.05 \; \mathrm{FPS} - 20 \; \mathrm{sec/ \; image}$

Method	Pascal 2007 mAP	Speed
DPM v5	33.7	$0.07 \; \mathrm{FPS} - 14 \; \mathrm{sec/ \; image}$
RCNN	66.0	$0.05 \; \mathrm{FPS} - 20 \; \mathrm{sec/ \; image}$
Fast RCNN	70.0	$0.5~\mathrm{FPS} - 2~\mathrm{sec}/~\mathrm{image}$

Method	Pascal 2007 mAP	${f Speed}$
DPM v5	33.7	$0.07 \; \mathrm{FPS} - 14 \; \mathrm{sec/ \; image}$
RCNN	66.0	$0.05~\mathrm{FPS} - 20~\mathrm{sec}/~\mathrm{image}$
Fast RCNN	70.0	$0.5 \; \mathrm{FPS} - 2 \; \mathrm{sec/ \; image}$
Faster RCNN	73.2	7  FPS - 140  msec/image

Method	Pascal 2007 mAP	$\mathbf{Speed}$
DPM v5	33.7	$0.07 \; \mathrm{FPS} - 14 \; \mathrm{sec/ \; image}$
RCNN	66.0	$0.05 \; \mathrm{FPS} - 20 \; \mathrm{sec/ \; image}$
Fast RCNN	70.0	$0.5 \; \mathrm{FPS} - 2 \; \mathrm{sec/ \; image}$
Faster RCNN	73.2	7  FPS - 140  msec/image
YOLO	69.0	45  FPS - 22  msec/image