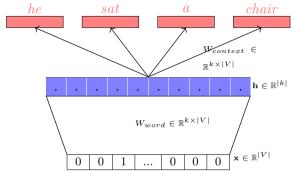
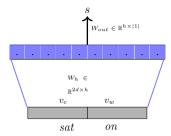
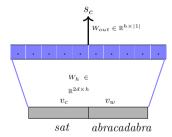
Module 10.6: Contrastive estimation

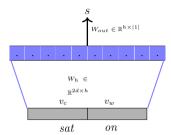


Some problems

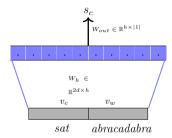
- Same as bag of words
- The softmax function at the output is computationally expensive
- Solution 1: Use negative sampling
- Solution 2: Use contrastive estimation
- Solution 3: Use hierarchical softmax

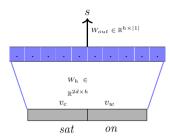




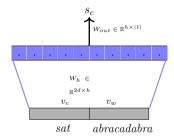


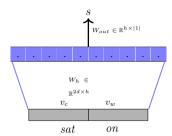
• We would like s_c to be greater than s



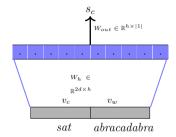


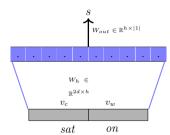
- We would like s_c to be greater than s
- Okay, so let us try to maximize $s s_c$





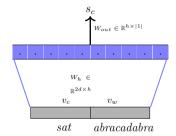
- We would like s_c to be greater than s
- Okay, so let us try to maximize $s s_c$
- \bullet But we would like the difference to be at least m



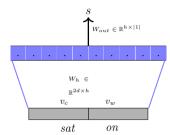


- We would like s_c to be greater than s
- Okay, so let us try to maximize $s s_c$
- \bullet But we would like the difference to be at least m

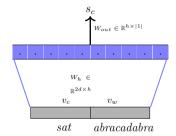
Negative: He sat abracadabra a chair



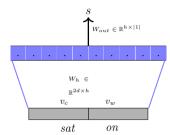
• So we can maximize $s - (s_c + m)$



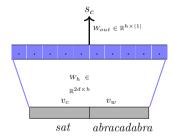
- We would like s_c to be greater than s
- Okay, so let us try to maximize $s s_c$
- \bullet But we would like the difference to be at least m



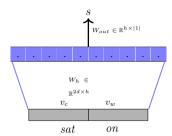
- So we can maximize $s (s_c + m)$
- What if $s > s_c + m$



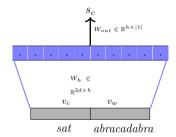
- We would like s_c to be greater than s
- Okay, so let us try to maximize $s s_c$
- \bullet But we would like the difference to be at least m



- So we can maximize $s (s_c + m)$
- What if $s > s_c + m$ (don't do any thing)



- We would like s_c to be greater than s
- Okay, so let us try to maximize $s s_c$
- \bullet But we would like the difference to be at least m



- So we can maximize $s (s_c + m)$
- What if $s > s_c + m$ (don't do any thing) maximize $max(0, s - (s_c + m))$

