

Problem Set 6

Textbook: *Probability and random processes* by Geoffrey Grimmett and David Stirzaker

Section	Problem Numbers
1.2	4,5
1.3	3,5,6,7

Source: *ECE 313 UIUC course lecture notes*

Section	Problem Numbers
1.6	1.2, 1.4
1.7	1.1,1.8, 1.9

Some more problems:

- 1) Ten people are randomly seated at a round table. What is the probability that a particular couple will sit next to each other?
- 2) What is the probability that among 25 people, at least two have their birthday on the same day of the year? (Hint: Forget leap years and calculate the probability of the complementary event)
- 3) Let F be a sigma-field and $A_i, i=1,2,\dots$ are events in F . Let A denote the countably infinite intersection of the events A_i . Show that
 - a) A is in F .
 - b) IF $P(A_i) = 1$ for each i , then $P(A)=1$