# Pointer Analysis

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CS6843 Program Analysis
IIT Madras
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## Outline

- Introduction
- Pointer analysis as a DFA problem
- Design decisions
- Andersen's analysis, Steensgaard's analysis
- Pointer analysis as a graph problem
  - Optimizations
- Applications
- Parallelization
  - Constraint based
  - Replication based
  - Graph rewrite rules

# **Applications**

- Dead-code elimination
- Common subexpression elimination
- Parallelization
- Escape analysis

### **Dead Code Elimination**

```
a = s1.arr;
b = s2.ptr;
q = &a[ii];
p = &b[jj];

if (p == q) {
    x = 10;
    y = 100;
} else {
    x = 20;
    y = 30;
}
```

To check the condition, we need to test if

- p == q
- a + ii \* typesize == b + jj \* typesize
- s1.arr + ii \* typesize == s2.ptr + jj \* typesize

This needs to be tested statically

# Common Subexpression Elimination

```
q = s1.arr;
p = s1.ptr;

if (p + i == q + j) {
    x = 10;
    y = 100;
} else {
    x = 20;
    y = 30;
}
```

To identify if the expression is common

- p + ii == q + jj
- s1.arr + ii \* typesize\_ii == s1.ptr + jj \* typesize\_jj

This needs to be computed statically

## Parallelization

```
f() {
    *p = 10;
}
g() {
    *q = 20;
}
main() {
    ...
f();
g();
}
```

To identify if the functions are parallelizable, check if

• !alias(\*p, \*q)

# **Escape Analysis**

```
f() {
    *p = 10;
}
```

To identify if the definition escapes function f, check

- if p points-to any global / heap variable
- pointsto(p, x) where  $x \in globals$  or  $x \in heap-allocated$

# Parallel Pointer Analysis

putta-cc-2012 slides

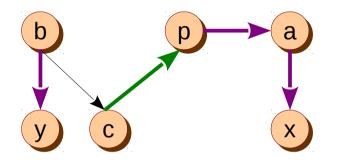
## Pointer Analysis as Graph Rewrite Rules

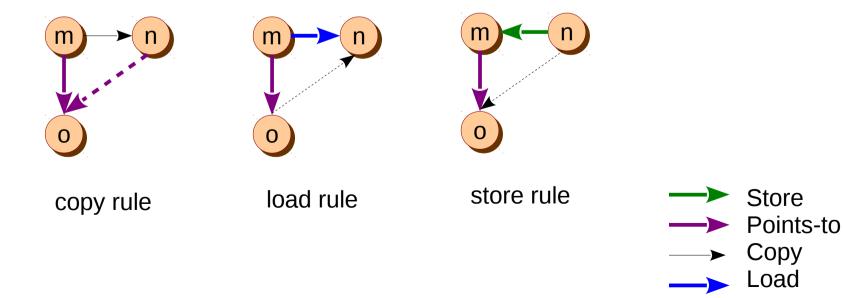
- Initially: Constraint-based: pointers and associated points-to sets
- Later: Graph problem: pointers as nodes, subset relation forms edges, points-to set with each node
- Now: Graph rewrite rules: variables as nodes, all relations form edges, points-to set defined using edges

# Graph Rewrite Rules

### Program Andersen's

a = &x	$a \rightarrow \{x, y\}$
b = &y	$b \to \{y\}$
p = &a	$c \rightarrow \{y\}$
c = b;	$p \rightarrow \{a\}$
*p = c;	

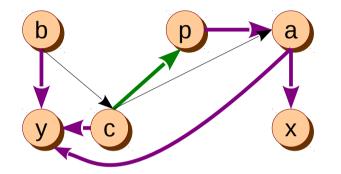




# Graph Rewrite Rules

### Program Andersen's

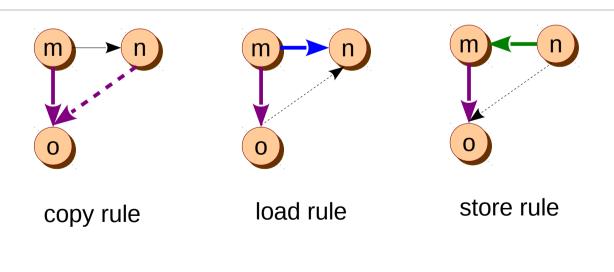
a = &x	$a \rightarrow \{x, y\}$
b = &y	$b \rightarrow \{y\}$
p = &a	$c \rightarrow \{y\}$
c = b;	$p \rightarrow \{a\}$
*p = c;	

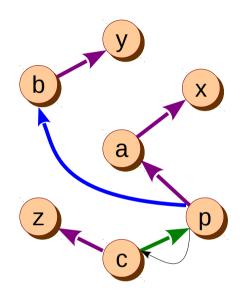


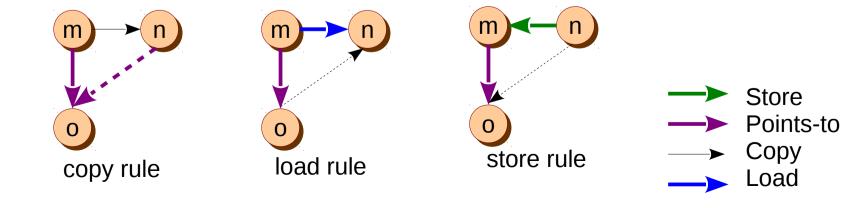
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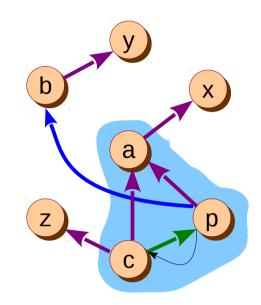
Copy Load

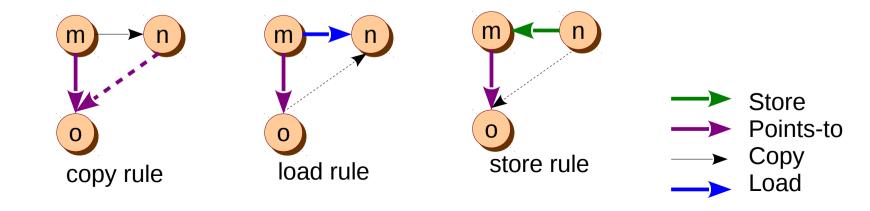
Points-to

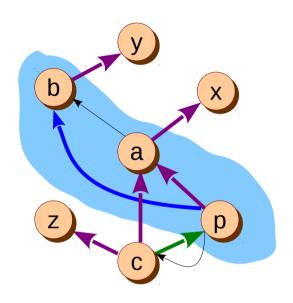


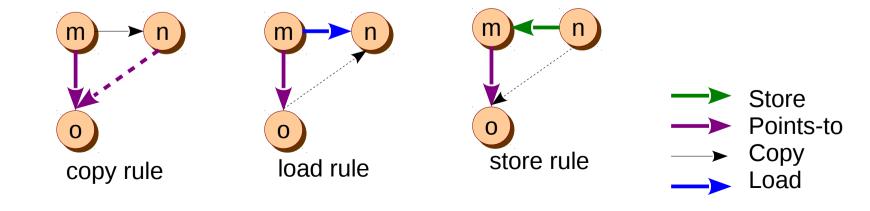


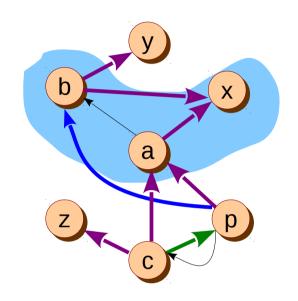


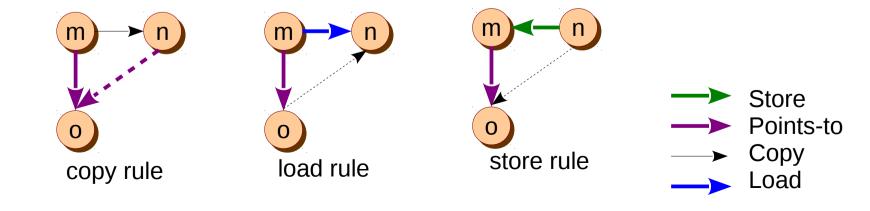


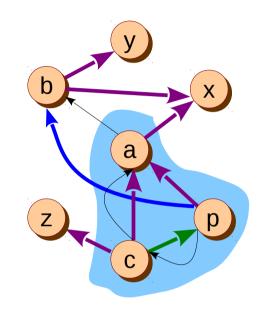


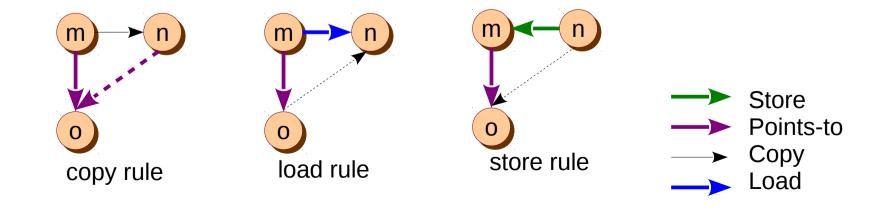


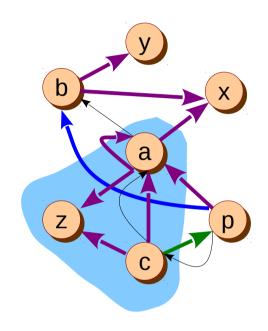


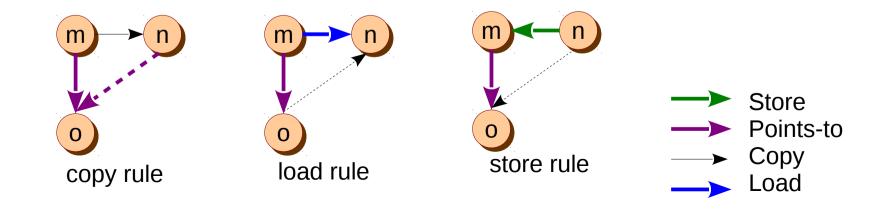


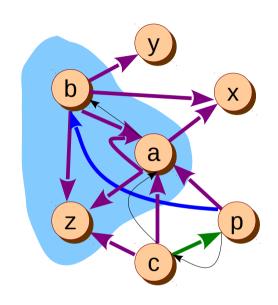


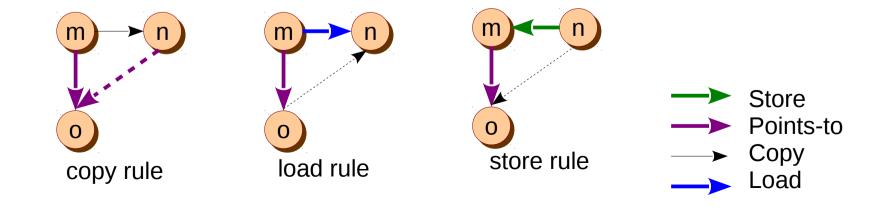


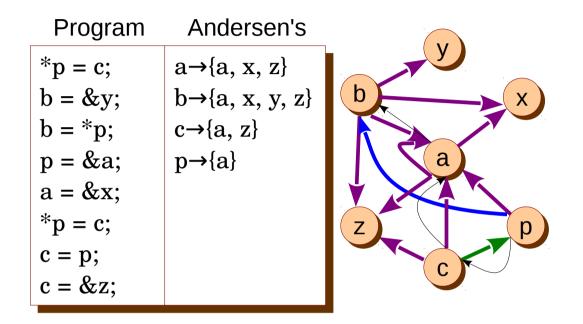


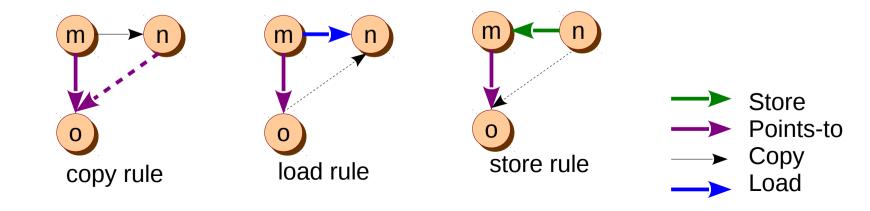








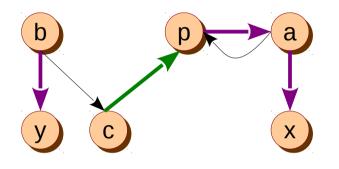


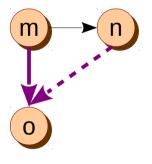


# Parallel Graph Rewrite Rules

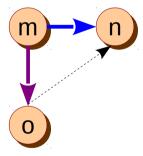
### Program Andersen's

a = &x	$a \rightarrow \{x, y\}$
b = &y	$b \rightarrow \{y\}$
p = &a	$c \rightarrow \{y\}$
c = b;	$p \rightarrow \{a, x, y\}$
*p = c;	$x \rightarrow \{y\}$
p = a;	$y \rightarrow \{y\}$

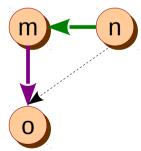




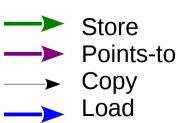
copy rule



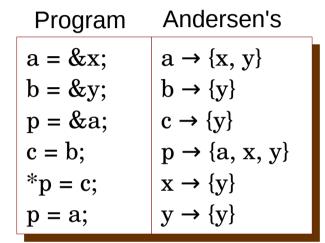
load rule

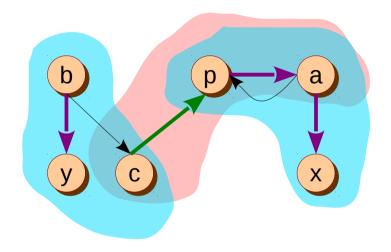


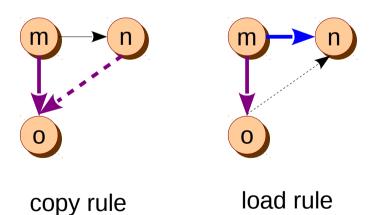
store rule

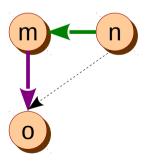


# Parallel Graph Rewrite Rules

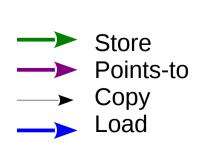








store rule



# Parallel Graph Rewrite Rules

- Open: How to order rule evaluation?
- Open: How to combine rules for better efficiency?